

IN THE CLAIMS

1-3. (canceled)

4. (currently amended) A method for facilitating reconstruction of an image, said method comprising:

estimating a gradient for at least one high-density object;

generating a gradient image using the estimated gradient wherein the gradient image represents a variation of the high density object in  $z$ ;

generating an error-candidate projection using the gradient image, wherein to generate the error-candidate projection, said method further comprises forward projecting the gradient image along  $\beta$  wherein  $\beta$  represents a projection view angle; and

~~said method further comprising~~ scaling the error-candidate projection with an error fraction  $c_\beta$  ~~such that, wherein~~  $c_\beta = z - \text{int}(z)$ , where  $z = \frac{(\beta - \beta_c)p}{2\pi} + \frac{M+1}{2}$ , wherein  $\beta_c$  represents a center view angle,  $p$  is the pitch,  $\text{int}(z)$  represents the integer portion of  $z$ , and  $M$  represents the number of rows in a detector array.

5. (previously presented) A method in accordance with Claim 4 further comprising reconstructing an error image using the error-candidate projection.

6. (canceled)

7. (previously presented) A method in accordance with Claim 4 wherein estimating a gradient for a high-density object comprises estimating a gradient for a high-density object such that  $g(i, j) = d_-(i, j) + d_+(i, j) - 2d(i, j)$ , where  $g(i, j)$  represents the gradient estimate for the  $(i, j)$  pixel and  $d_-(i, j)$ ,  $d_+(i, j)$ , and  $d(i, j)$  are determined according to:

$$d_-(i, j) = \begin{cases} f_-(i, j) - h, & f_-(i, j) \geq h \\ 0 & \text{otherwise} \end{cases}$$

$$d(i, j) = \begin{cases} f(i, j) - h, & f(i, j) \geq h \\ 0 & \text{otherwise} \end{cases}$$

$$d_+(i, j) = \begin{cases} f_+(i, j) - h, & f_+(i, j) \geq h \\ 0 & \text{otherwise} \end{cases}$$

where  $f$ ,  $f_-$ , and  $f_+$  represent three images separated by a spacing  $s$  with  $f$  being between  $f_-$  and  $f_+$ , and  $h$  is a pre-determined threshold value.

8. (previously presented) A method in accordance with Claim 4 further comprising helically weighting the error candidate image.

9. (previously presented) A method in accordance with Claim 4 wherein said forward projecting the gradient along  $\beta$  comprises performing at least one of a fan beam forward projection and a parallel beam forward projection.

10. (previously presented) A method in accordance with Claim 4 further comprising producing different gradient images using a segmentation technique.

11. (original) A method in accordance with Claim 10 wherein said producing different gradient images using a segmentation technique comprises:

separating at least two different classes of objects including a first class and a second class;

using a first contrast threshold value for the first class; and

using a second contrast threshold value different from the first contrast threshold value for the second class.

12. (original) A method in accordance with Claim 7 further comprising using more than three adjacent images to produce a gradient image.

13-15. (canceled)

16. (currently amended) A computer programmed to:

estimate a gradient for at least one high-density object;

generate a gradient image using the estimated gradient wherein the gradient image represents a variation of the high density object in  $z$ ;

generate an error-candidate projection using the gradient image;

forward project the gradient image along  $\beta$  wherein  $\beta$  represents a projection view angle; and

scale the error-candidate projection with an error fraction  $c_\beta$  ~~such that,~~

wherein  $c_\beta = z - \text{int}(z)$ , where  $z = \frac{(\beta - \beta_c)p}{2\pi} + \frac{M+1}{2}$ , wherein  $\beta_c$  represents a center view angle,  $p$  is the pitch,  $\text{int}(z)$  represents the integer portion of  $z$ , and  $M$  represents the number of rows in a detector array.

17. (previously presented) A computer in accordance with Claim 16 further programmed to reconstruct an error image using the error-candidate projection.

18. (canceled)

19. (original) A computer in accordance with Claim 17 further programmed to perform at least one of a fan beam forward projection and a parallel beam forward projection.

20. (previously presented) A computer in accordance with Claim 16 further programmed to estimate a gradient for a high-density object such that  $g(i, j) = d_-(i, j) + d_+(i, j) - 2d(i, j)$ , where  $g(i, j)$  represents the gradient estimate for the  $(i, j)$  pixel and  $d_-(i, j)$ ,  $d_+(i, j)$ , and  $d(i, j)$  are determined according to:

$$d_-(i, j) = \begin{cases} f_-(i, j) - h, & f_-(i, j) \geq h \\ 0 & \text{otherwise} \end{cases}$$

$$d(i, j) = \begin{cases} f(i, j) - h, & f(i, j) \geq h \\ 0 & \text{otherwise} \end{cases}$$

$$d_+(i, j) = \begin{cases} f_+(i, j) - h, & f_+(i, j) \geq h \\ 0 & \text{otherwise} \end{cases}$$

where  $f$ ,  $f_-$ , and  $f_+$  represent three images separated by a spacing  $s$  with  $f$  being between  $f_-$  and  $f_+$ , and  $h$  is a pre-determined threshold value.

21. (previously presented) A computer in accordance with Claim 16 further programmed to:

separate at least two different classes of objects including a first class and a second class;

use a first contrast threshold value for the first class; and

use a second contrast threshold value different from the first contrast threshold value for the second class.

22-24. (canceled)

25. (currently amended) A computed tomographic (CT) imaging system for reconstructing an image of an object, said imaging system comprising:

a detector array;

at least one radiation source; and

a computer coupled to said detector array and said radiation source, said computer configured to:

estimate a gradient for at least one high-density object;

generate a gradient image using the estimated gradient wherein the gradient image represents a variation of the high density object in  $z$ ;

generate an error-candidate projection using the gradient image; and

scale the error-candidate projection with an error fraction  $c_\beta$  ~~such that,~~

wherein  $c_\beta = z - \text{int}(z)$ , where  $z = \frac{(\beta - \beta_c)p}{2\pi} + \frac{M+1}{2}$ , wherein  $\beta_c$  represents a center view angle,  $p$  is the pitch,  $\text{int}(z)$  represents the integer portion of  $z$ , and  $M$  represents the number of rows in a detector array.

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26. (canceled)